

Medical and Dental Admission Program-2020

# PHYSICS

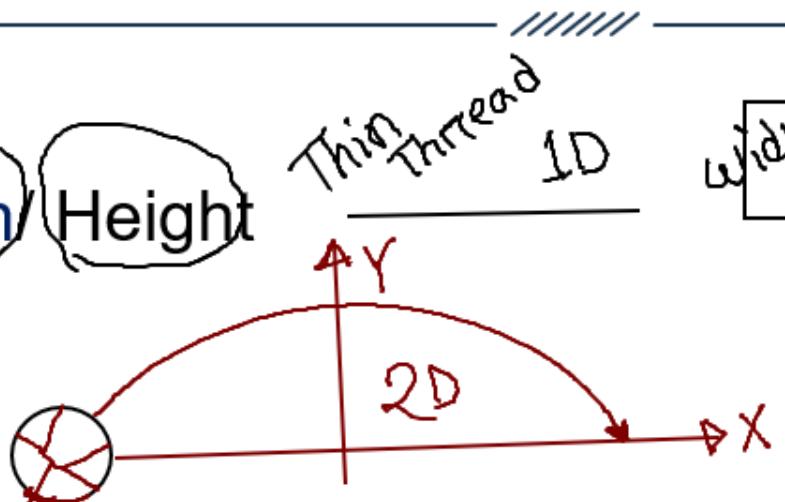
Lecture : P-02

Chapter 03 : Dynamics

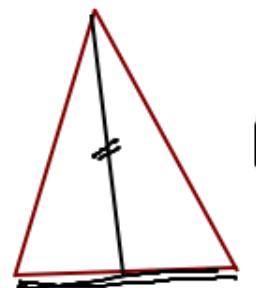
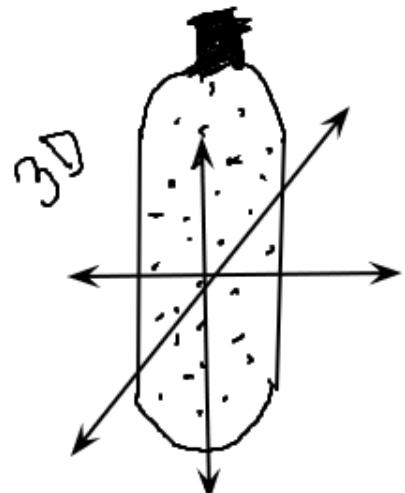


# 3 Dimensions

- Length Width Height
- X Y Z

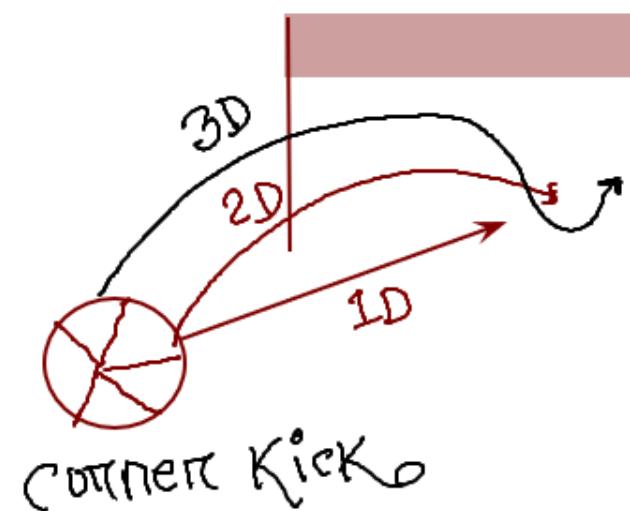


- Right-Left/ Up-Down/Forward-Backward

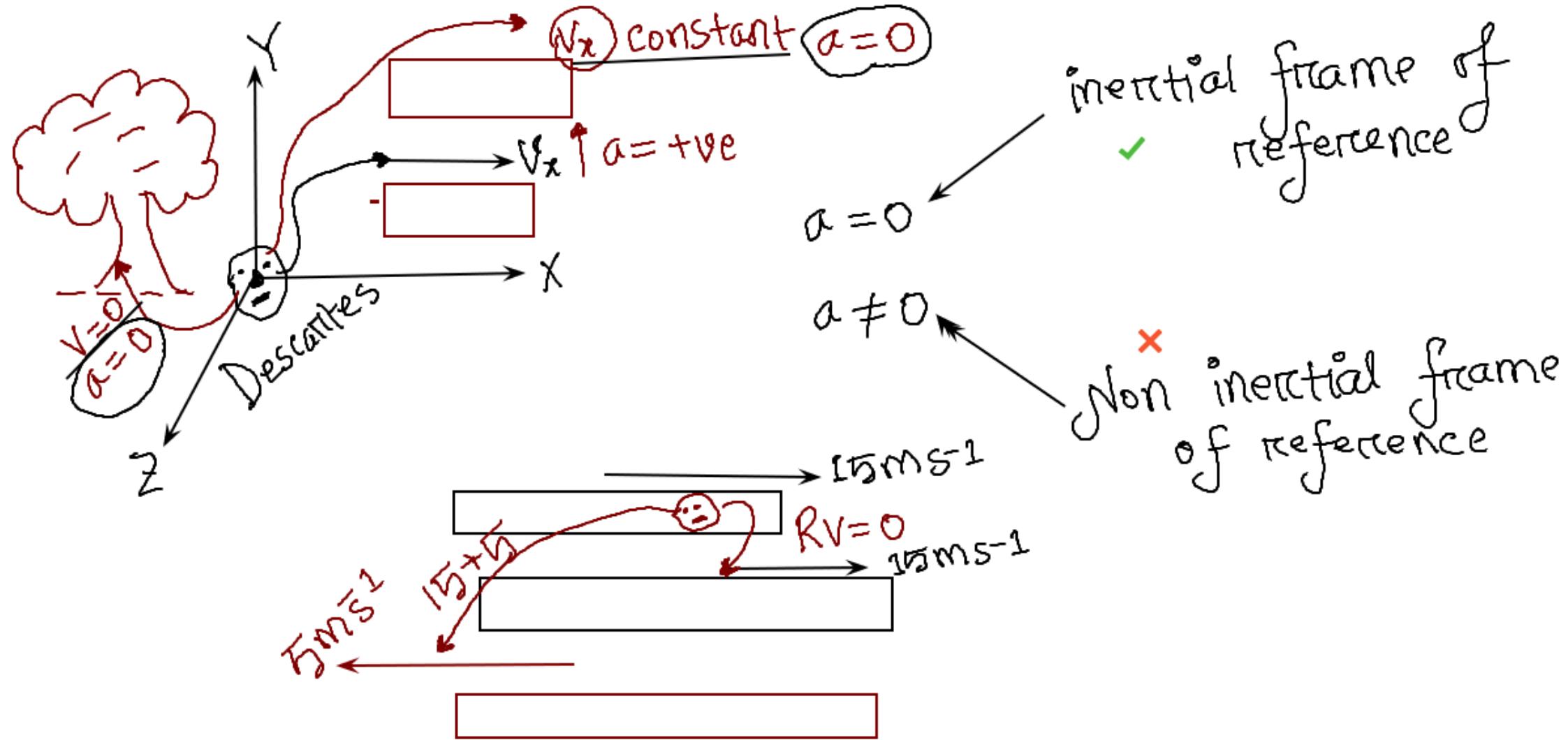


$$\text{Area} = \frac{1}{2}(\text{base} \times \text{height})$$

• 2D



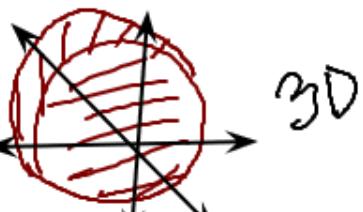
# Inertial & Non-inertial frame of reference



# Previous Year Question

Which one is a **2D** object ?

(a) Stone



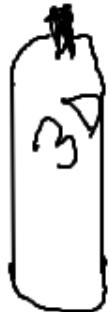
(b) Thin thread



(c) Thin paper



(d) Cylinder



**SLOPE**

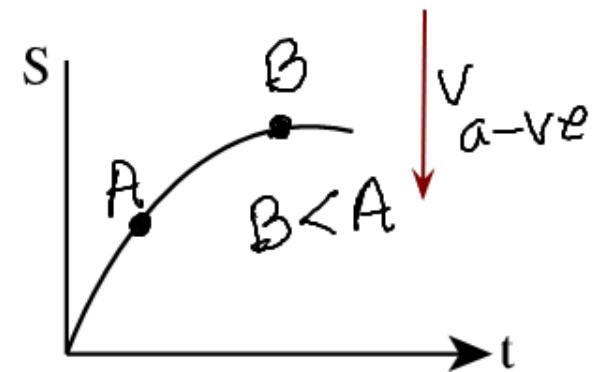
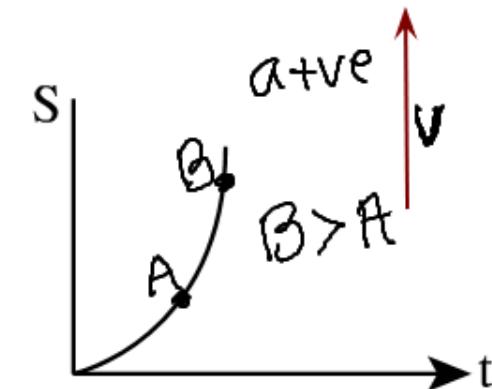
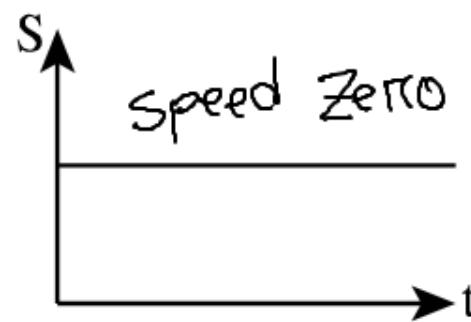
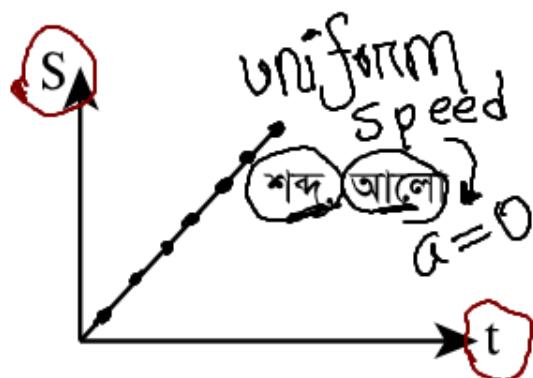
*Slope is velocity*

~~**S-t** Graph~~

**Straight line**  
*(equal)*

**Horizontal straight line**  
0

$$\text{Slope, } m = \tan\theta = \frac{s}{t} = v$$

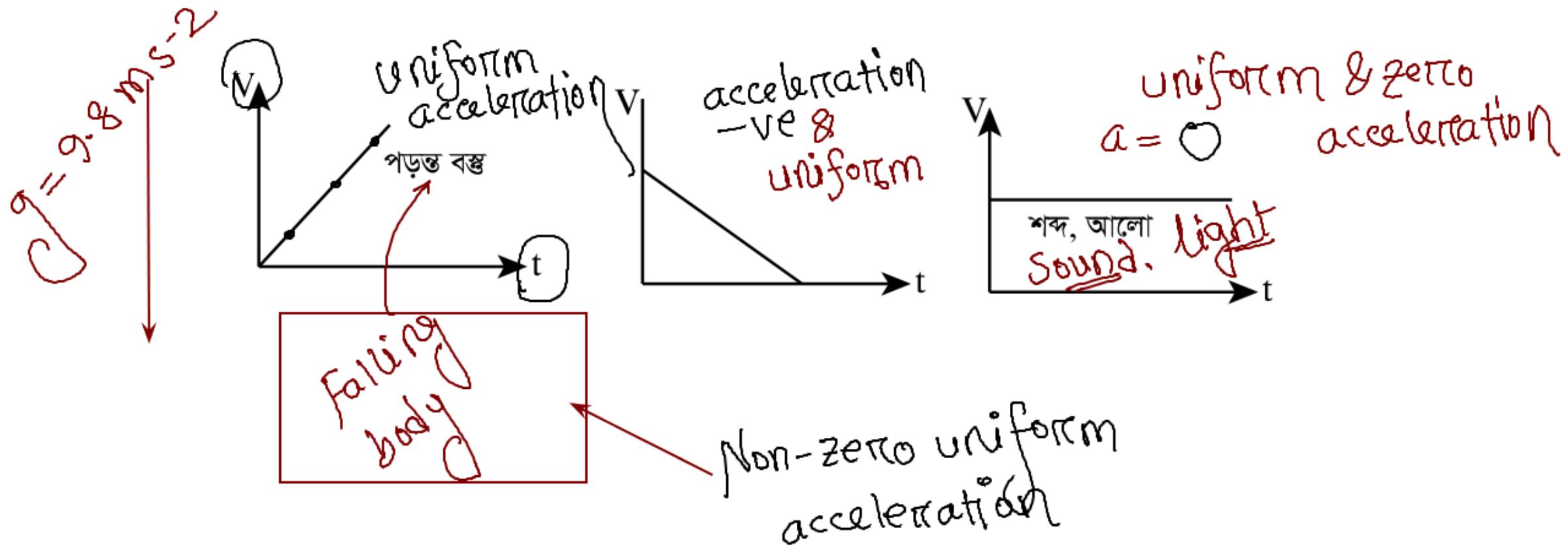


**Speed of sound & light**

*zero acc with uniform  
acceleration*

# V-t Graph

Slope,  $m = \tan\theta = v/t = a$



## Poll Question-03

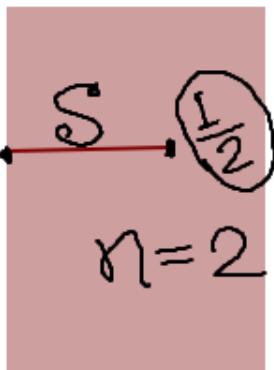
Motion of which one is an example of  
**non-zero uniform** acceleration?

- (a) Sound
- (b) Light
- (c) Falling body
- (d) Car

# Shortcut in problem



After penetrating  $S$  metre in a board/wall, if a bullet loses  $1/n$  of its initial speed; then this bullet will penetrate further  $\frac{S(n-1)^2}{2n-1}$  metre.



e.g. 12cm      *half*

$$\frac{12}{3} = 4\text{cm}$$

loses half of its initial speed

$$\frac{S(2-\frac{1}{2})^2}{2 \cdot 2 - 1} = \boxed{S/3}$$

## Poll Question-04

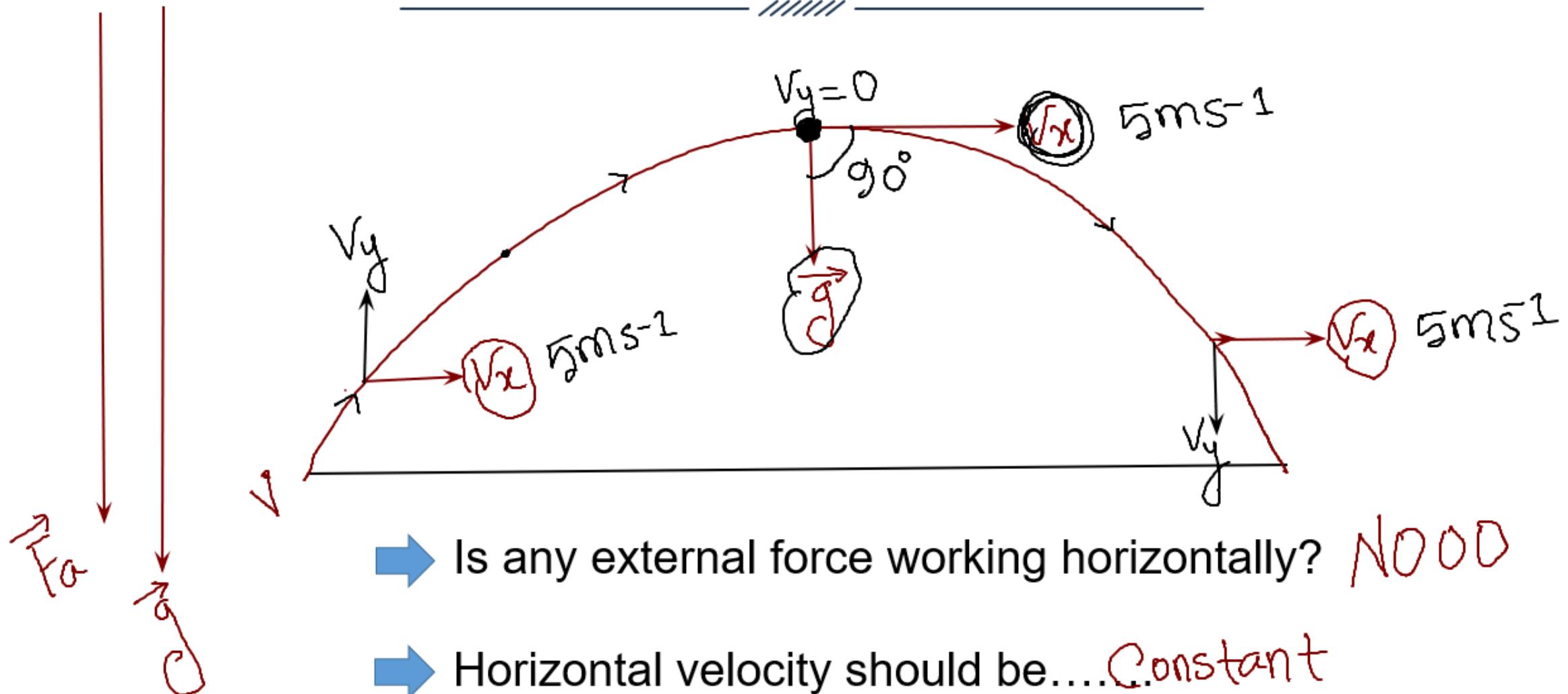
After penetrating **9 cm** of a wall, a bullet lost half of it's speed.

The bullet should penetrate further-

$$\frac{S}{3} = \frac{9}{3} = 3 \text{ cm}$$

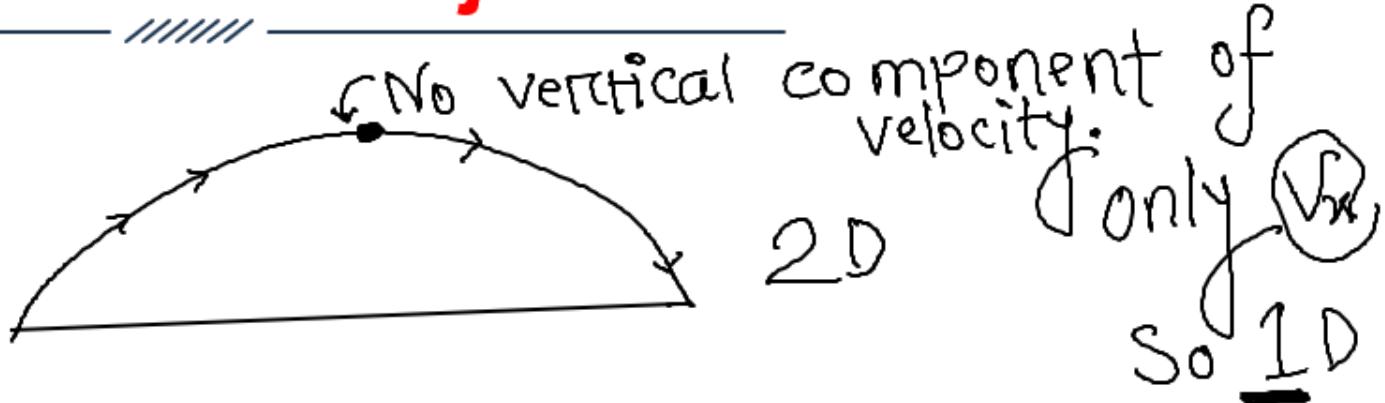
- (a) 3 m ×
- (b) 1 cm
- (c) 1/2 cm
- (d) 3 cm ✓

# Motion of a Projectile



# Properties of a Projectile

- Curved trajectory
- Parabolic
- **2D**



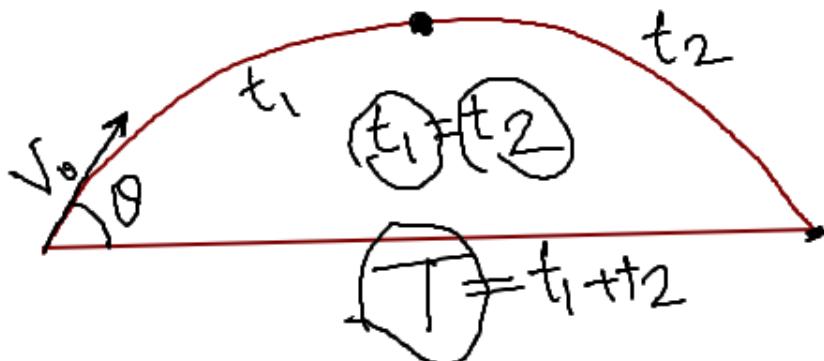
- $V_x = \text{constant}$  so,  $\underline{\underline{a_x}} = 0$
- $V_y$  is variable
- $V_y$  in maximum height is Zero **(1D)**
- $a_y = -g$  [always downwards]
- The angle between velocity and acceleration at the point of maximum height is  $90^\circ$ .

## Poll Question-05

Regarding motion of a projectile, which one is the best option to mark as correct?

- (a) 1D motion *No  
1D at maximum  
Height only*
- (b) Parabolic path *Yes* 
- (c) No acceleration  $a_x = 0$  BUT  $a_y \neq 0$  [ $-g$ ]  $9.8 \text{ m s}^{-2}$
- (d) Linear path *No  
babu*

At an angle of  $\theta$  with horizontal



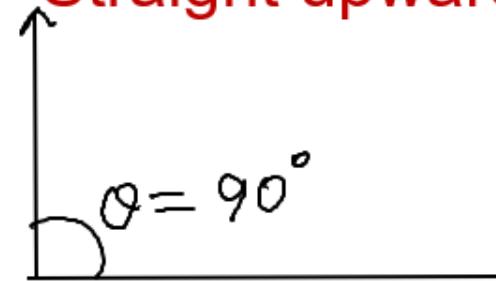
$$t_1 = t_2 = \frac{V_0 \sin \theta}{g}$$

$$T = \frac{2V_0 \sin \theta}{g}$$

$$\theta = 90^\circ$$

$$\theta = 90^\circ$$

Straight upward



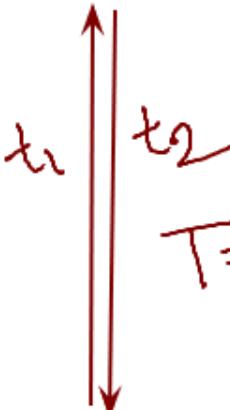
$$t_1 = t_2 = \boxed{\frac{V_0}{g}}$$

$$T = \boxed{\frac{2V_0}{g}}$$

# MAT Type Problem

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A shoe is thrown straight upward at an initial speed of  $4.9 \text{ ms}^{-1}$ . How much time it'll take to touch the ground from where it was thrown?



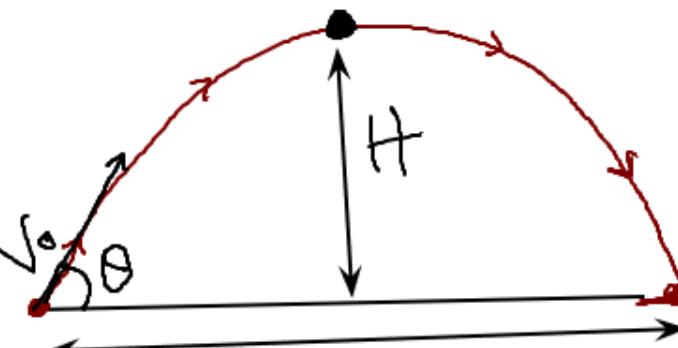
$$T = t_1 + t_2 = \frac{2V_0}{g} = \frac{2 \times 4.9}{9.8} = \frac{9.8}{9.8} = 1\text{s}$$

# Straight upward

$$H = \frac{V_0^2 \sin^2 \theta}{2g}$$

$$R = \frac{V_0^2 \sin 2\theta}{g}$$

❖  $R_{max} = \frac{V_0^2}{g}$



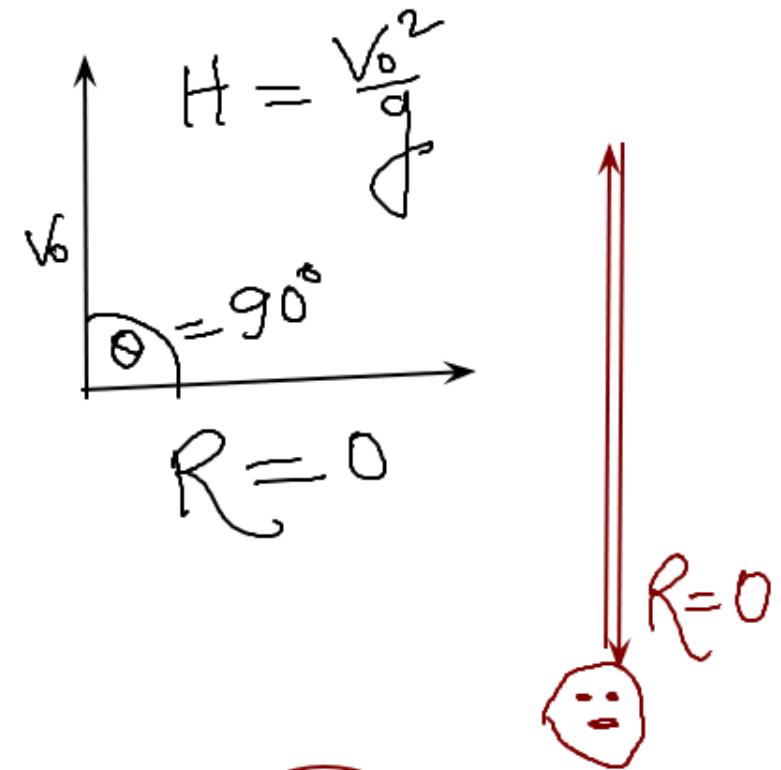
$$\sin 2\theta = 1 = \sin 90^\circ$$

$$2\theta = 90^\circ$$

$$\theta = 45^\circ$$

❖  $\frac{H}{R} = \frac{V_0^2 \sin^2 \theta / 2g}{V_0^2 \sin 2\theta / g} = \frac{\sin^2 \theta}{2 \sin 2\theta} = \frac{\sin \theta \sin \theta}{2 \cdot 2 \sin \theta \cos \theta} =$

$$\frac{\tan \theta}{4}$$



# Solve & Save the cell phone

A cell phone, NOKIA 1100 is thrown at an angle of **45 degrees** with horizontal. If initial speed is **9.8 m/s** then horizontal distance should be-

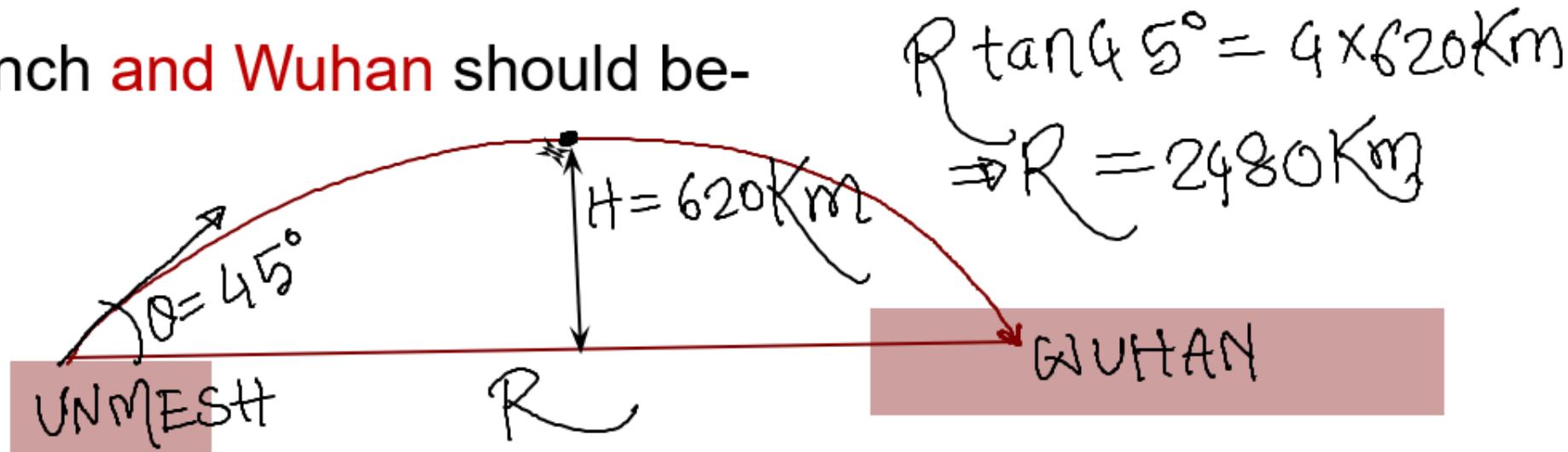
$$R_{\max} = \frac{V_0^2}{g}$$


$$\frac{(9.8)^2}{g} = \frac{9.8 \times 9.8}{9.8} = 9.8 \text{ m}$$

$$R \tan \theta = 4H$$


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Suppose, a missile is thrown from Unmesh Farmgate branch at an angle of  $45^\circ$  with horizontal & exploded in Wuhan, a city of China. If the maximum height is 620Km then the **distance between Unmesh Farmgate branch and Wuhan** should be-

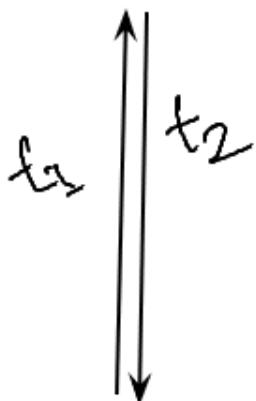


## Poll Question-06

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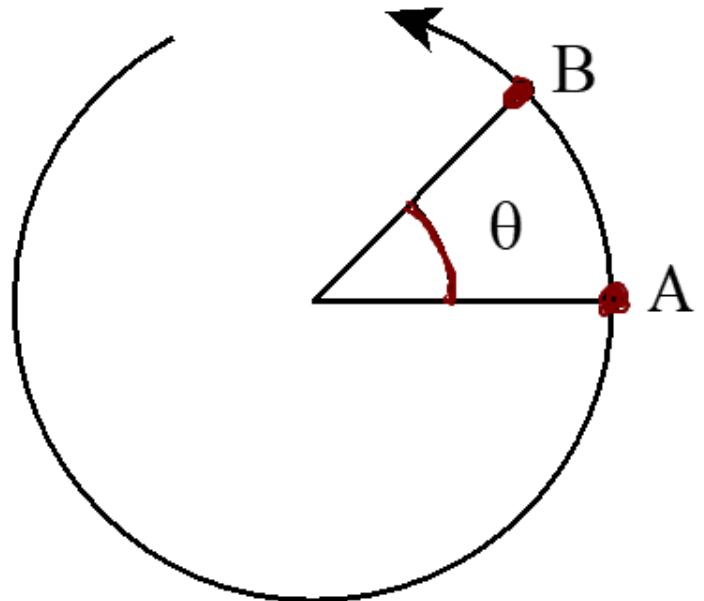
The time of flight of an object thrown straight upward at a speed of  $9.8 \text{ ms}^{-1}$  should be-

- (a) 1 second
- (b) 3 seconds
- (c) 2 seconds
- (d) 4 seconds



$$\begin{aligned}
 T &= t_1 + t_2 = \frac{2V_0}{g} \\
 &= \frac{2 \times 9.8}{9.8} \\
 &= 2 \text{ seconds}
 \end{aligned}$$

# Angular velocity & Angular acceleration



No dimension

$$\vec{\theta}$$

$$\frac{\vec{\theta}}{t} = \vec{\omega}$$

$$\frac{\vec{\omega}}{t} = \vec{\alpha}$$

$$\begin{aligned} 1 \text{ Turn/Rev} \\ = 360^\circ \\ = 400 \text{ rad} \\ = 2\pi \text{ rad} \end{aligned}$$

$$\text{rad/S}$$

$$[T^{-1}]$$

$$\frac{\pi \text{ rad/S}}{S} \rightarrow \text{rad S}^{-2}$$

$$[T^{-2}]$$

## Linear motion

- $m$
- $s$
- $\vec{V} = \frac{\vec{s}}{t}$
- $\vec{a} = \frac{\vec{v}}{t}$
- $\vec{F} = m\vec{a}$

•  $\times$  Non rotating  
 •  $\times$  No fc / ac

## Angular motion

- $I$
- $\theta$
- $\vec{\omega} = \frac{\vec{\theta}}{t}$
- $\vec{\alpha} = \frac{\vec{\omega}}{t}$
- $\vec{\tau} = I\vec{\alpha}$
- $F_c = \frac{MV^2}{r} = mw^2r$
- $a_c = \frac{v^2}{r} = w^2r$

unit of  $\theta$

$$\frac{2\pi}{T} = 2\pi f$$

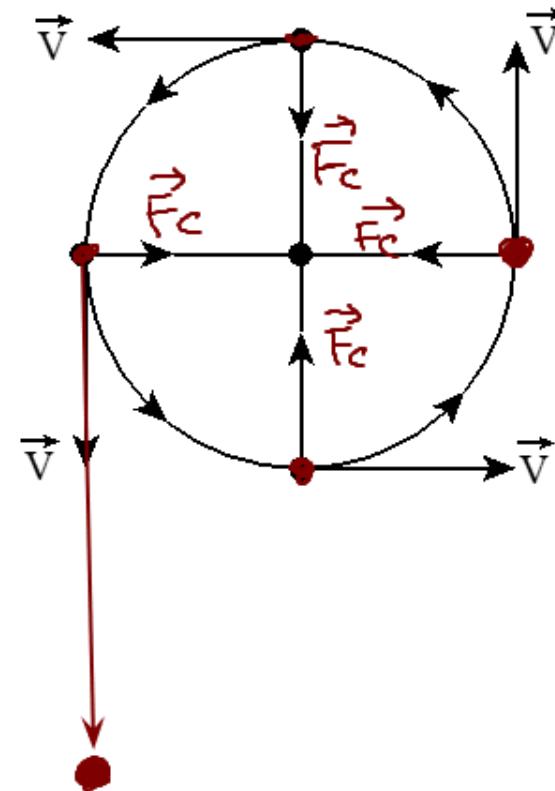
Time period

1 Turn = 1 revolution =  $2\pi$  radians =  $360^\circ$  = 400 Gradians

# Uniform Circular Motion

## Properties

- $V = \text{constant}$  But  $\vec{v} \neq \text{constant}$
- $\vec{\omega} = \text{constant}$  [so,  $\vec{\alpha} = 0$ ]
- $\vec{F_c}$  &  $\vec{a_c}$  needed to act continuously.
- If  $\vec{F_c}$  is withdrawn suddenly?
- Direction of  $\vec{V}$ ? *along tangent so  $\vec{a} = \vec{V}/t$*



# Laws of falling bodies

In **vacuum**, all the freely falling bodies starting from **rest** traverse equal distance in equal interval of time (**1<sup>st</sup> law**)

&  $V \propto t$  (**2<sup>nd</sup> law**)

&  $h \propto t^2$  (**3<sup>rd</sup> law**)

